

CASELET SOLUTION:

Questions 1 to 3 :

Since Ghosh Babu distributed his property equally among his 4 daughters, each one of them should get 25% of the property. The eldest daughter got 20% of the total property and Rs. 25000 in cash. So, Rs. 25000

should constitute 5% of the total property. Hence the total property is worth Rs. 5 lakhs. This is the answer to Q2.

Now, the total cash given by him = Rs. 25000 (eldest daughter) + Rs. 50000 (second daughter) + Rs. 150000 (i.e. Rs. 75000 each to his third and fourth daughters) = Rs. 225000. So, out of his total property of Rs. 500000, Rs. 225000 is cash, so the gold and silver should be worth Rs. 275000. This is the answer to Q1.

If Ghosh Babu has equal number of gold and silver bars, the value of 1 gold bar and 1 silver bar is Rs. 5000 (i.e. Rs. 4000 + Rs. 1000) and the total worth of gold and silver bars is Rs. 275000. Hence there has to be 275000/5000 = 55 gold and silver bars each. This is the answer to Q81.

Students please note that this set of questions can intelligently be solved by looking at the answer choices.

Since we know that the combined value of 1 gold and 1 silver bar should be Rs. 5000, so the answer to Q1

when divided by 5000 should give the answer to Q3. The only pair of answer choices that satisfies this is Rs. 275000 and 55. Hence answer to Q79 and Q81 can be obtained without much effort. Remember the golden rule: whenever you have questions in a set, read all the questions first before you go on to solve them.

Q1.b

Q2.a

Q3.d

Questions 4 to 8 :

Q4.c

Let us assume that Ghosh Babu had deposited Rs. 100 initially.

Year	Opening Balance	Interest Earned	Withdrawn by Ghosh Babu	Closing Balance
1986	100	10	10 + 20 = 30	80
1987	80	8	8 + 40 = 48	40
1988	40	4	4 + 20 = 24	20
1989	20	2	22	0

Hence, had he deposited Rs. 100 initially, he should have withdrawn Rs. 22 at the end to close the account. Since he withdrew Rs. 11000, at the end he should have initially deposited Rs. 50000.

Q5.d He withdrew the smallest amount after the 4th year viz. Rs. 11000.

Q6.a He collected the maximum interest after the 1st year viz. $0.1 \times 50000 = \text{Rs. } 5000$.

Q7. b Ghosh Babu withdrew the maximum amount after the 2nd year viz. $0.48 \times 50000 = \text{Rs. } 24000$

Q8.a As seen from the above table, the total interest collected by Ghosh Babu is Rs. 24 on Rs. 100. Hence on Rs. 50000, it would be Rs. 12000.

Q9 to 13 :

Q9.a

Let the total number of bad widgets be x and hence the total number of

good ones will be $(1000 - x)$.

If he takes test I his total cost will be: $\text{Rs. } 2(1000) + 25 \times 0.8x + 50 \times 0.2x$

If he takes test II his total cost will be: $\text{Rs. } 3(1000) + 25x$

Now, it will be worth the testing if the cost of testing is less than the cost of penalty levied on the defective pieces.

Let us now test all the values mentioned in all the questions & answer choices.

No. of defectives	Cost of Test I	Cost of Test II	Penalty if not tested
100	Rs. 5000	Rs. 5500	Rs. 5000
120	Rs. 5600	Rs. 6000	Rs. 6000
160	Rs. 6800	Rs. 7000	Rs. 8000
190	Rs. 7700	Rs. 7750	Rs. 9500
200	Rs. 8000	Rs. 8000	Rs. 10000
400	Rs. 14000	Rs. 13000	Rs. 20000

It is obvious that for number of defectives above 100 cost of any testing is cheaper than the penalty.

But for

100 defectives the cost of penalty is the same as that for testing. Hence below 100 defectives, the penalty will be less than the cost of testing and hence it is not worth testing.

Q10.d If there are 120 widgets, he should go for test I as it is cheaper.

Q11.c It is clear from the table that if the number of defectives is between 200 & 400, he should go for Test II as it is cheaper.

Q12.a In case of 160 defectives he should use test I as it is cheaper.

Q13 .a If there are 200 defective widgets in the lot, Prakash may use either Test I or Test II as the cost of both the tests is same = Rs. 8000.

SOLUTION FOR Q14 TO Q17 :

Let the profit of CAT & DAT be x and y respectively, Sales of CAT & BAT = y and sales of ANT = z . So we have

COMPANY	SALES	EXPENDITURE	PROFIT
ANT	z	$0.9z$	$0.1z$
BAT	y	$0.8y$	$0.2y$
CAT	y	$5x$	x
DAT	$3x$		x

Now, it is said that the total expenses of CAT were Rs. 10 lakhs. Hence $5x = \text{Rs. } 10$ lakhs or $x = \text{Rs. } 2$ lakhs. Also Total expenses of ANT were 10% less than those of CAT = Rs. 9 lakhs. Hence $0.9z = 9$ lakhs or $z = 10$ lakhs.

Finally, in case of CAT, since,

Sales -

Expenditure = Profit, Sales = Expenditure + Profit = $6x = 12$ lakhs. Hence,

$y = 12$ lakhs. So our table is modified to:

COMPANY	SALES	EXPENDITURE	PROFIT
ANT	10	9	1
BAT	12	9.6	2.4
CAT	12	10	2
DAT	6	4	2

(All values in lakh Rupees)

Q14d

From the above table it can be seen that the company that had the lowest sales is DAT viz. Rs. 6 lakhs.

Q15.c CAT had highest total expenses i.e. Rs. 10 lakhs.

Q16.a ANT had lowest profits i.e. Rs. 1 lakh.

Q17.b BAT had the highest profits i.e. Rs. 2.4 lakhs.

SOLUTIONS FOR Q18 TO 21: The data given in the question can be computed as :

Q18. b From the first week data we can arrive at the following work pattern of Bankatlal for the 1st month.

First Month :

	1 st week	2 nd week	3 rd week	4 th week
Hours of rest	2	5	2	5
Working hrs.	5	2	5	2
Wage per hour	Rs.20	Rs.10	Rs.20	Rs.10
Total Wage per day	Rs.100	Rs.20	Rs.100	Rs.20
Total Wage per week	Rs.600	Rs.120	Rs.600	Rs.120

Thus his total wage = (600+120+600+120) = Rs.1440

Q19. c Let us compile the data for 2nd, 3rd and 4th month.

Second Month :

	5 th week	6 th week	7 th week	8 th week
Hours of rest	3	7	3	5
Working hrs.	7	3	7	2
Wage per hour	Rs.20	Rs.10	Rs.20	Rs.10
Total Wage per day	Rs.140	Rs.30	Rs.140	Rs.30
Total Wage per week	Rs.840	Rs.180	Rs.840	Rs.180

Third Month :

	9 th week	10 th week	11 th week	12 th week
Hours of rest	4	6	4	6
Working hrs.	6	4	6	4
Wage per hour	Rs.20	Rs.10	Rs.20	Rs.10
Total Wage per day	Rs.120	Rs.40	Rs.120	Rs.40
Total Wage per week	Rs.720	Rs.240	Rs.720	Rs.240

Fourth Month :

	13 th week	14 th week	15 th week	16 th week
Hours of rest	0	8	0	8
Working hrs.	8	0	8	0
Wage per hour	Rs.20	Rs.10	Rs.20	Rs.10
Total Wage per day	Rs.160	0	Rs.160	0
Total Wage per week	Rs.960	0	Rs.960	0

Total wage for 1st month = Rs.1440

Total wage for 2nd month = (840+180+840+180) = Rs.2040

Total wage for 3rd month = (720+240+720+240) = Rs.1920

Total wage for 4th month = (960+960) = Rs.1920

Total wage for the 4 months = (1440+2040+1920+1920) = 7320

Hence the average salary = 7320/4 = Rs.1830

Q20. d Using the above data, we can revise the wage compilation for the third month as given below:

Third Month :

	9 th week	10 th week	11 th week	12 th week
Hours of rest	4	6	4	6
Working hrs.	6	4	6	4
Wage per hour or work	Rs.25	Rs.12.5	Rs.25	Rs.12.5
Fine per hour of rest	Rs.5	Rs.5	Rs.5	Rs.5
Total wage per day	Rs.150	Rs.50	Rs.150	Rs.50
Total fine per day	Rs.20	Rs.30	Rs.20	Rs.30
Effective wage per day	Rs.130	Rs.20	Rs.130	Rs.20
Total Wage per week	Rs.780	Rs.120	Rs.780	Rs.120

So now his third month wage = (780+120+780+120) = Rs.1800.

Previously he used to earn Rs.1920 in the third month.

Hence change in Bankatlal's salary for the 3rd month = (1920 – 1800) = Rs.120.

Q21. D. For the fourth month, the new wage compilation will be as given below :

Fourth Month :

	9 th week	10 th week	11 th week	12 th week
Hours of rest	0	8	0	8
Working hrs.	8	0	8	0
Wage per hour or work	Rs.25	Rs.12.5	Rs.25	Rs.12.5
Fine per hour of rest	Rs.5	Rs.5	Rs.5	Rs.5
Total wage per day	Rs.400	0	Rs.400	0
Total fine per day	0	Rs.40	0	Rs.40
Effective wage per day	Rs.400	-Rs.40	Rs.400	-Rs.40
Total Wage per week	Rs.2400	-Rs.240	Rs.2400	-Rs.240

So now his total wage for the 4th month = (2400+2400-240-240) = Rs.4320.

Since the calculations for the first two months are made as per the old scheme of things, this has already been computed.

Total wage for 1st month = Rs.1440

Total wage for 2nd month = Rs.2040

Calculation for the third and fourth month are as per new calculations and they are :

Total wage for 3rd month = Rs.1800

Total wage for 4th month = Rs.4320

So total salary for the four months = (1440+2040+1800+4320) = Rs.9600.

SOLUTION FOR Q22 TO Q26 :

Q22. b

It is said that Gopal and Ram invested equal amounts initially. Let the amount paid by both of them to Krishna be 2x and 3x respectively. Gopal further invested Rs. 2 lakh. Hence, we can say (2x + 2) = 3x or x = 2 lakh. Hence, the initial amounts paid by Gopal and Ram to Krishna is 4 lakh and 6 lakh. So Gopal and Ram together put in (6 + 6) = 12 lakh initially (note that this includes Rs. 2 lakh put in by Gopal later). The total revenue generated is 25% of 12 lakh = 3 lakh. The revenue from coconut and lemon trees are in the ratio 3 : 2. Hence, 3 lakh when divided in the ratio 3 : 2 gives Rs. 1,80,000 from coconut and Rs. 1,20,000 from lemons. And since each coconut costs Rs. 5, the total output of coconut would be = 180000/5 = 36000

Q23. a Lemon and coconut trees were planted on equal areas of land, viz. 5 acres each. The value of lemon output per acre of land = 120000/5 = 0.25 L

Q24. a

The total revenue of Rs. 3,00,000 was divided equally by Gopal and Ram. Hence, the amount received by Gopal in 1997 = ½ x 300000 = 1.5 lacs

Q25. b

The ratio of the number of trees of coconut and lemon was 5 : 1. Since the number of lemon trees is 100, the number of coconut trees is 500. So they totally obtained a revenue of Rs. 1,80,000 from 500 coconut trees. Value of trees = 180000/500 = 360

Q26. d

We have not been given the cost of one lemon. In the light of this fact, we cannot find the number of lemons produced and hence the required ratio cannot be determined.

SOLUTIONS FOR Q 27 TO 29 :

Q27.

AVOCADO paint would cost minimum when its constituents have the minimum possible price. AVOCADO is made by mixing equal 'ORANGE' and 'PINK'.

∴ We have the following possibilities:

Colour	Possible Combinations	Total cost (in. Rs.)	Litres	Cost/ Litres (in. Rs.)
AVOCADO	ORANGE + PINK	22 + 18 = 40	2	20
	(RED + YELLOW) + PINK	$\left(\frac{20 + 25}{2}\right) + 18 = 40.5$	2	20.25
	ORANGE + (RED + WHITE)	22 + $\left(\frac{20 + 15}{2}\right) = 39.5$	2	19.75
	(RED + YELLOW) + (RED + WHITE)	$\left(\frac{20 + 25}{2}\right) + \left(\frac{20 + 15}{2}\right) = 40$	2	20

From the table we have the minimum cost as Rs. 19.75 per litre.

Hence, option 2.

Q28.

The possible combinations for WASHEDORANGE are given below:

Combination	Ratio
ORANGE + WHITE	1:1
(RED + YELLOW) + WHITE	1:1:2

Hence, option 4

Q29.

From the solution to the first question of the set we know that the least possible price for AVOCADO is Rs. 19.75. The least possible price for CREAM is when WHITE and YELLOW is mixed in the ratio 7 : 3. = $7 \times 15 + 3 \times 25 = 180 / 10 = 18$

The least possible price for WASHEDORANGE is when ORANGE and WHITE is mixed in the ratio 1 : 1. = $(15 + 22) / 2 = 18.5$

∴ Profitability is the maximum for CREAM.
Hence, option 2.

SOLUTION FOR Q 30 and 31 :

Q30. Price of 1st bottle = 520 Bahts

Price of 2nd and 3rd bottles each = $(520 \times 0.7) = 364$ Bahts

∴ Total cost of all three bottles = 1248 Bahts

Cost per person = 416 Bahts

R pays 2 Euros = $2 \times 46 = 92$ Bahts

M pays 4 Euros and 27 Bahts = $4 \times 46 + 27 = 211$ Bahts

S pays the remaining amount = $1248 - (92 + 211) = 945$ Bahts

∴ R owes $416 - 92 = 324$ Bahts to S.

Hence, option 4.

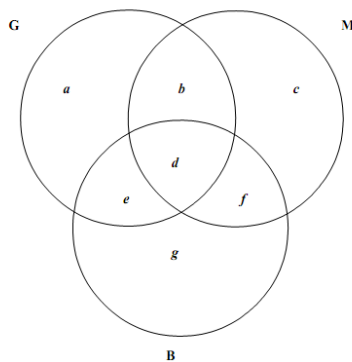
Q31. From the solution to the previous question,

M owes = $416 - 211 = 205$ Bahts to S But, $205 \text{ Bahts} = 205 / 41 = 5$ US Dollars

Hence, option 3.

SOLUTION FOR Q 32 and 33:

Q32.



Let a be the number of projects in which only Gyani is involved, g be the number of projects in which only Buddhi is involved and c be the number of projects in which only Medha is involved.

From the data, $d = 6$

$b + d = 14$

∴ $b = 8$

Also, $e = 3$ and $f = 2$

It is given that

$a + g = b + c + d + f$

∴ $a - c + g = 16$... (i)

Number of projects involving more than 1 consultant = $6 + 8 + 2 + 3 = 19$

∴ Total number of projects = $2 \times 19 - 1 = 37$

$a + b + c + d + e + f + g = 2 \times (b + d + e + f) - 1$

∴ $a + c + g = 19 - 1 = 18$... (ii)

Solving (i) and (ii), we get,

$c = 1$ and $a + g = 17$

∴ a cannot be determined uniquely.

Hence, option 4.

Q33. From the solution to the previous question, we get,

$c = 1$

∴ Number of projects in which Medha alone is involved = 1

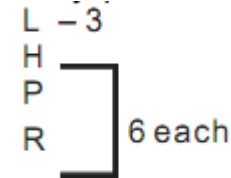
Hence, option 2.

Solutions for questions 34 to 37:

For solving these questions make a table like this:

	Africa	America	Australasia	Europe	
L	0	1	1	1	3
H			1	1	6
P			2	1	6
R			1	1	6
	4	8	5	4	
					21

(i) As the labour expert is half of each of the other, so the only possible combination is



(ii) Statement (d): If the number of Australasia expert is 1 less, i.e. total expert are 20 American be twice as each of other. The only combined possible is Americas 8.

Australasia $4 + 1 = 5$

Europe 4

Africa 4

Now, we need to work out the various options possible in the blank cells.

	Africa	America	Australasia	Europe	
L	0	1	1	1	3
H	2	2	1	1	6
P	1	2	2	1	6
R	1	3	1	1	6
	4	8	5	4	
					21

	Africa	America	Australasia	Europe	
L	0	1	1	1	3
H	1	3	1	1	6
P	1	2	2	1	6
R	2	2	1	1	6
	4	8	5	4	
					21

	Africa	America	Australasia	Europe	
L	0	1	1	1	3
H	1	3	1	1	6
P	2	1	2	1	6
R	1	3	1	1	6
	4	8	5	4	
					21

Q34. 4 Q35 3 Q36 3 Q37. 4

SOLUTION FOR Q 38 TO 42 :

Q38.

Let F and E have Erdős numbers f and e respectively at the beginning of the conference.

On the third day, A's and C's Erdős numbers become $(f + 1)$

The sum of Erdős numbers changed to $8 \times 3 = 24$

At the end of the third day, five members had identical Erdős numbers while the other three had distinct ones.

On the fifth day, E's Erdős numbers became $f + 1$ and this reduced the group's

average by 0.5. This means that E's Erdős numbers was not $f + 1$ on the third day.

Thus we have,

$$\text{At the end of the third day, } 5(f + 1) + f + e + y = 24$$

$$\text{Hence } 6f + 5 + e + y = 24$$

$$\text{Hence } 6f + e + y = 19$$

At the end of the fifth day,

$$6(f + 1) + f + y = 2.5 \times 8 = 20$$

$$\text{Hence } 7f + y = 14$$

As F has the smallest Erdős number, $f = 1$

$$\therefore y = 7$$

$$\therefore e = 6$$

Now, we can solve all the questions.

From the above explanation, the largest Erdős number at the end of the conference would be 7.

Hence, option 2.

Q39. As per the explanation given in the first question, the Erdős numbers of B, D, G, H and F did not change during the conference.

Hence, option 4.

Q40. As follows from the explanation given in the first question, C's Erdős number was

$f + 1 = 2$ on the third day and thereafter.

Hence, option 2.

Q41. It can be inferred from the common explanation that E's Erdős number was 6.

Hence, option 3.

Q42. Since 5 participants had identical Erdős numbers at the end of day three and two

of these were A and C whose Erdős numbers had changed on the same day, three

had the same Erdős numbers at the beginning of the conference.

Hence, option 2.